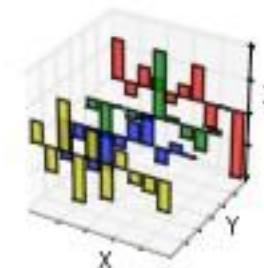
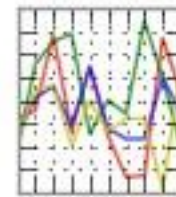
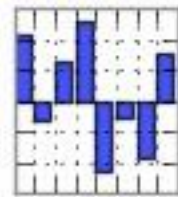


pandas

$$y_{it} = \beta' x_{it} + \mu_i + \epsilon_{it}$$


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Python Barcelona Meetup
7. February 2013

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Pandas

- Powerful and productive Python data analysis and management library
- **Panel Data System**
- Open Sourced by AQR Capital Management, LLC in late 2009
- 30.000 lines of tested Python/Cython code
- Used in production in many companies

Pandas

- Rich data structures and functions to make working with structured data fast, easy, and expressive
- Built on top of Numpy with its high performance array-computing features
- flexible data manipulation capabilities of spreadsheets and relational databases
- Sophisticated indexing functionality
 - slice, dice, perform aggregations, select subsets of data

The ideal tool for data scientists

- Cleaning data
- Analyzing data
- Modeling data
- Organizing the results of the analysis into a form suitable for plotting or tabular display

Series

- one-dimensional array-like object

```
>>> s = Series((1,2,3,4,5))
```

- Contains an array of data (of any Numpy data type)

```
>>> s.values
```

- Has an associated array of data labels, the *index* (Default index from 0 to N - 1)

```
>>> s.index
```

Series

index **values**

A	→	5
B	→	6
C	→	12
D	→	-5
E	→	6.7

- Subclass of `numpy.ndarray`
- Data: any type
- Index labels need not be ordered
- Duplicates are possible (but result in reduced functionality)

Series data structure

```
>>> import numpy
>>> randn = numpy.random.randn
>>> from pandas import *
>>> s = Series(randn(3), ('a', 'b', 'c'))
>>> s
a    -0.889880
b     1.102135
c    -2.187296
>>> s.mean()
-0.65834710697853194
```

Series to/from dict

- Series to Python dict - **No more explicit order**

```
>>> dict(s)
{'a': -0.88988001423312313,
 'c': -2.1872960440695666,
 'b': 1.1021347373670938}
```

- Back to a Series with a **new Index from sorted dictionary keys**

```
>>> Series(dict(s))
a    -0.889880
b     1.102135
c    -2.187296
```

Reindexing labels

```
>>> s
a    -0.496848
b     0.607173
c    -1.570596
>>> s.index
Index([a, b, c], dtype=object)
>>> s.reindex(['c', 'b', 'a'])
c    -1.570596
b     0.607173
a    -0.496848
```

Vectorization

```
>>> s + s
```

```
a    -1.779760
```

```
b     2.204269
```

```
c    -4.374592
```

- Series work with Numpy

```
>>> numpy.exp(s)
```

```
a     0.410705
```

```
b     3.010586
```

```
c     0.112220
```

Data alignment

- Binary operations are joins!
- <https://pandas.pydata.org/pandas-docs/stable/generated/pandas.Series.align.html#pandas.Series.align>

				A	0		A	NA
				B	1		B	2
				C	2		C	4
				D	3		D	6
							E	NA

B	1
C	2
D	3
E	4

+

A	0
B	1
C	2
D	3

=

A	NA
B	2
C	4
D	6
E	NA

DataFrame

- Like data.frame in the statistical language/package R
- 2-dimensional tabular data structure
- Data manipulation with integrated indexing
- Support heterogeneous columns

DataFrame

columns		foo	bar	baz	qux
index		↓	↓	↓	↓
A	→	0	x	2.7	True
B	→	4	y	6	True
C	→	8	z	10	False
D	→	-12	w	NA	False
E	→	16	a	18	False

- NumPy array-like
- Each column can have a different type
- Row and column index
- Size mutable: insert and delete columns

DataFrame

```
>>> d = {'one': s*s, 'two': s+s}
```

```
>>> DataFrame(d)
```

	one	two
a	0.791886	-1.779760
b	1.214701	2.204269
c	4.784264	-4.374592

```
>>> df.index
```

```
Index([a, b, c], dtype=object)
```

```
>>> df.columns
```

```
Index([one, two], dtype=object)
```

Dataframe add column

- Add a third column

```
>>> df['three'] = s * 3
```

- It will share the existing index

```
>>> df
```

	one	two	three
a	0.791886	-1.779760	-2.669640
b	1.214701	2.204269	3.306404
c	4.784264	-4.374592	-6.561888

Access to columns

- Access by attribute

```
>>> df.one  
      one  
a  0.791886  
b  1.214701  
c  4.784264
```

- Access by dict like notation

```
>>> df['one']  
      one  
a  0.791886  
b  1.214701  
c  4.784264
```

Reindexing

```
>>> df.reindex(['c', 'b', 'a'])
```

```
>>> df
```

	one	two	three
c	4.784264	-4.374592	-6.561888
b	1.214701	2.204269	3.306404
a	0.791886	-1.779760	-2.669640

Drop entries from an axis

```
>>> df.drop('c')
```

```
b  1.214701  2.204269  3.306404  
a  0.791886 -1.779760 -2.669640
```

```
>>> df.drop(['b', 'a'])
```

```
      one      two      three  
c  4.784264 -4.374592 -6.561888
```

Descriptive statistics

```
>>> df.mean()  
one      2.263617  
two     -1.316694  
three   -1.975041
```

- Also: count, sum, median, min, max, abs, prod, std, var, skew, kurt, quantile, cumsum, cumprod, cummax, cummin

Computational Tools

- Covariance

```
>>> s1 = Series(randn(1000))
```

```
>>> s2 = Series(randn(1000))
```

```
>>> s1.cov(s2)
```

```
0.013973709323221539
```

- Also: pearson, kendall, spearman

I/O Operations

Read from

- csv, json, excel, html, SQL...
- https://pandas.pydata.org/pandas-docs/stable/generated/pandas.read_csv.html#pandas.read_csv

Data manipulations

- Join / merge (*database-like*)
- Get_dummies (*one hot vector from categorical data*)

Aggregated Statistics

- Group by
- Describe

Plotting

```
DataFrame.plot.plotType()  
- hist, pie, density, box,...
```

This and much more...

- Reshaping and Pivot Tables
- Time Series / Date functionality
- Sparse data structures

Resources

- <http://pypi.python.org/pypi/pandas>
- <http://code.google.com/p/pandas>

Semestrální projekt

- Výběr ze 4-5 úkolů, případně po schválení vlastní zadání
 - Varianty budou představeny průběžně na příštích cvičeních cca do ½ dubna
 - Typicky supervised ML
 - Výběr zadání do 30.4.
- Vypracování obsahuje
 - Zdrojový kód
 - komentáře + readme file (co a jak spustit)
 - Vstupní data (pokud se liší od zadaných)
 - Popis řešení
 - Jak byla data předzpracována? (normalizace, feature engineering, další datové zdroje...)
 - Jaké algoritmy byly použity? S jakými parametry / jak byly vybrány? (vyzkoušejte alespoň 2 algoritmy s rozumným hyperparameter tuningem)
 - Přehled výsledků + rozumná vizualizace (např. vliv některých hyperparametrů na výsledek)
 - Zajímavé/netriviální části implementace? Překvapivé výsledky? Learned knowledge?
 - Očekávaný rozsah cca 1-2 stránky

Semestrální projekt – varianta 1

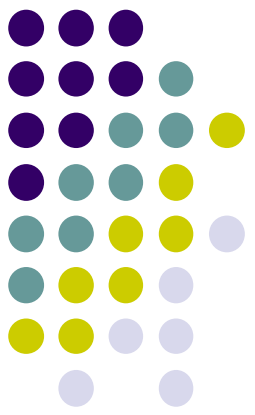
- Doporučovací systémy
 - Doporučte uživateli 10 pro něj nejzajímavějších filmů
 - MovieLens 1M dataset (cca 5000 uživatelů a filmů, 1M ratingů)
 - <https://grouplens.org/datasets/movielens/>
 - Známe hodnocení některých filmů uživatelem, základní data o filmech a demografická data o uživatelích
 - Možnost použít externí datové zdroje (např. IMDB)
 - Evaluate:
 - Každému uživateli bude náhodně odebráno 10% hodnocených filmů, vaším cílem je některé z nich uživateli doporučit
 - nDCG na top-10 doporučených filmech https://en.wikipedia.org/wiki/Discounted_cumulative_gain
 - Cílem je tedy ranking prediction (seřazení objektů od nejlepšího po nejhorší)
 - Odevzdané řešení musí být lepší než základní baseline:
 - Most popular (doporučuje globálně nejpopulárnější filmy)
 - Typické algoritmy:
 - KNN, nebo faktorizace matic (SVD++) na matici hodnocení uživatelů a objektů
 - Běžné ML algoritmy na vlastnostech uživatelů a objektů (vlastní model pro každého uživatele / skupinu uživatelů – clustering, nebo sjednocení vlastností uživatele a objektu)
 - Vector Space Model: uživatel (query) je definovaný jako agregace jím hodnocených objektů

Semestrální projekt – varianta 1

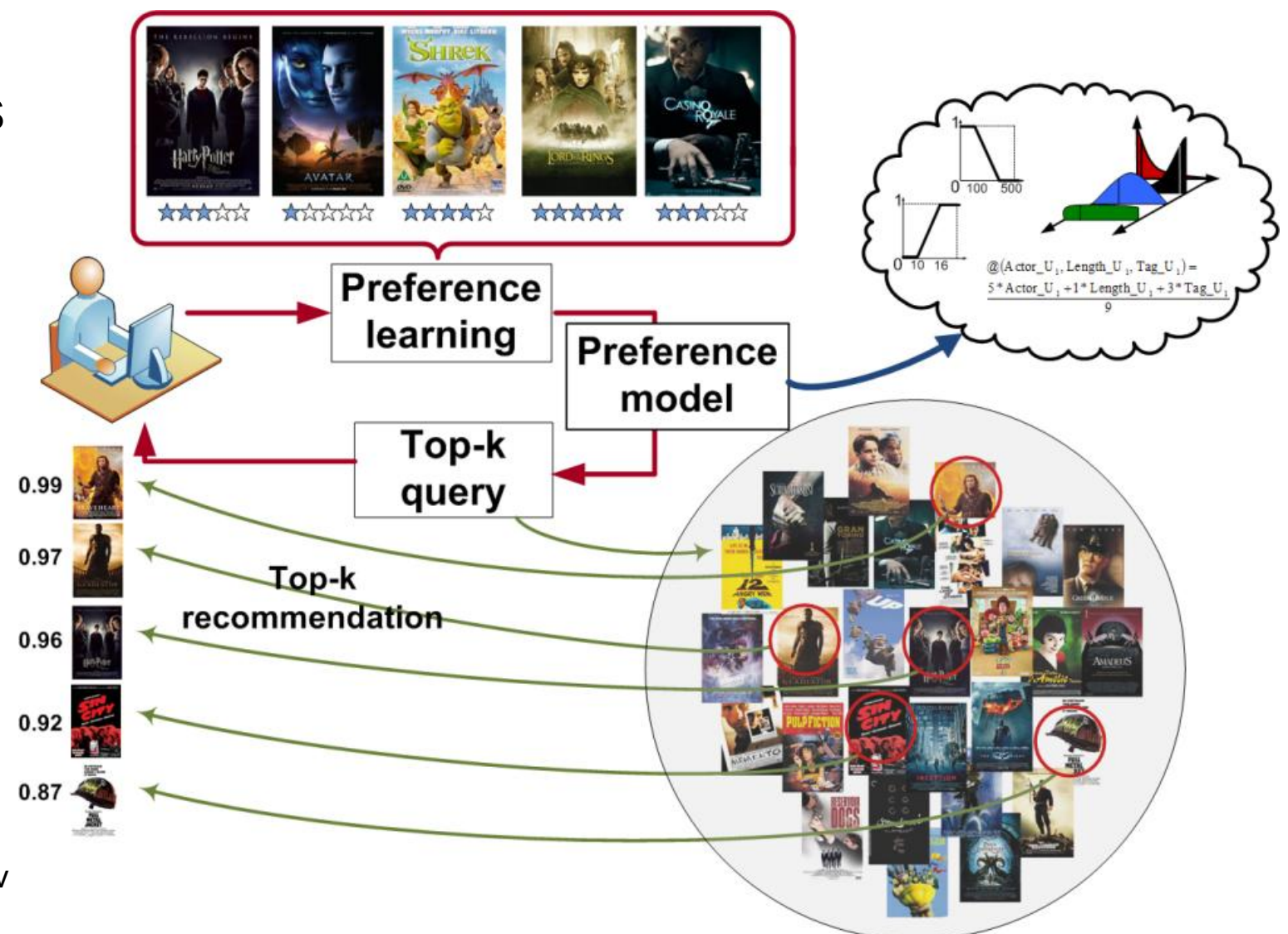
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 - Vector Space Model: uživatel (query) je definovaný jako agregace jím hodnocených objektů
 - <http://www.ksi.mff.cuni.cz/~peska/vyuka/nswi166/>

Recommender Systems

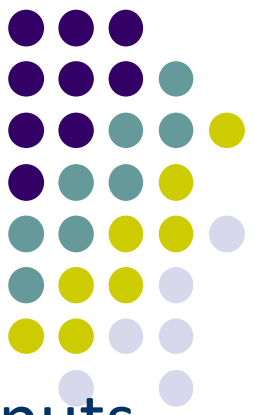
Basic Workflow



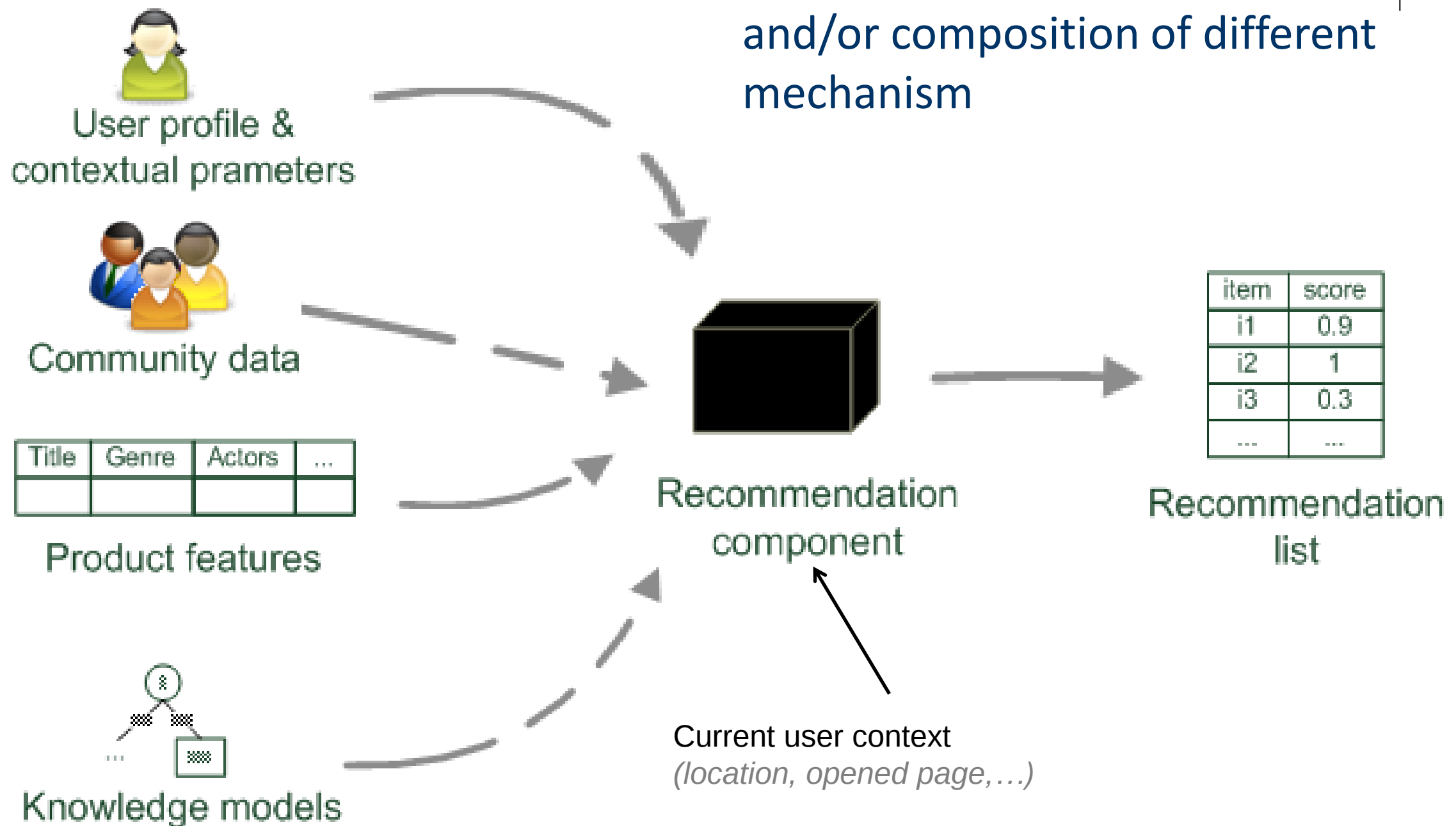
- **User** provides **feedback** from which user preferences are learned
- Recommendations are provided based on
 - User feedback
 - Object attributes
 - User attributes/relations
 - Context
 - ...



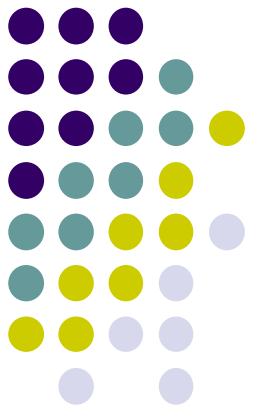
Paradigms of recommender systems



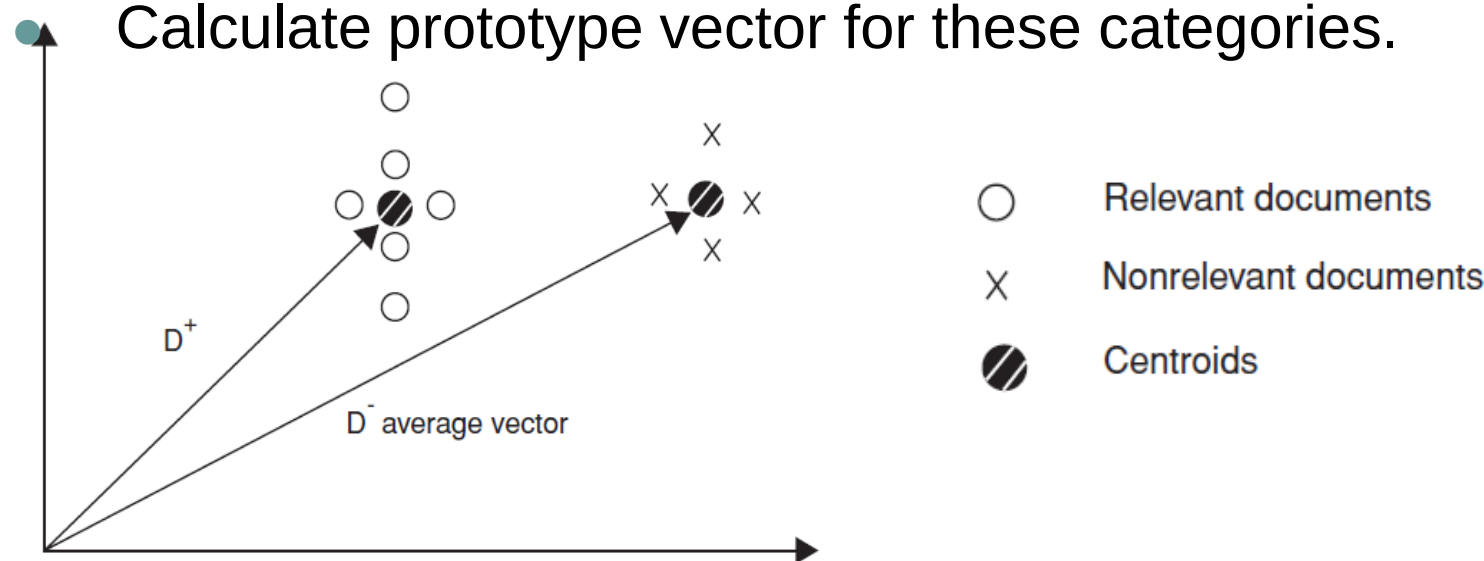
Hybrid: combinations of various inputs and/or composition of different mechanism



Vector Space Model



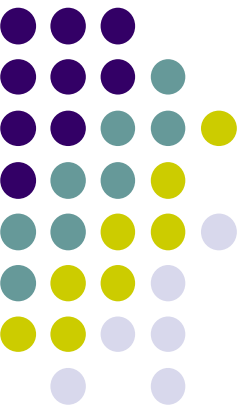
- Document collections D^+ (liked) and D^- (disliked)
- Calculate prototype vector for these categories.



- Computing modified query Q_{i+1} from current query Q_i with:

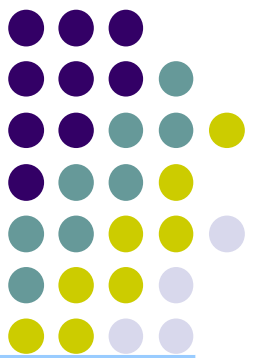
$$Q_{i+1} = \alpha * Q_i + \beta \left(\frac{1}{|D^+|} \sum_{d^+ \in D^+} d^+ \right) - \gamma \left(\frac{1}{|D^-|} \sum_{d^- \in D^-} d^- \right)$$

- α, β, γ used to fine-tune the feedback
 - α weight for original query
 - β weight for positive feedback
 - γ weight for negative feedback
- Often only positive feedback is used
 - More valuable than negative feedback



Matrix Completion (Matrix factorization)

Matrix completion



- Given a sparse matrix
- We want to fill-in the unknown values
- The values of the matrix are dependent on each other

5	?	1	?	?	...
?	?	5	?	4	...
5	4	2	?	?	...
?	3	?	2	5	...
1	?	5	?	4	...
5	4	?	?	2	...
...	...	...	...	...	...

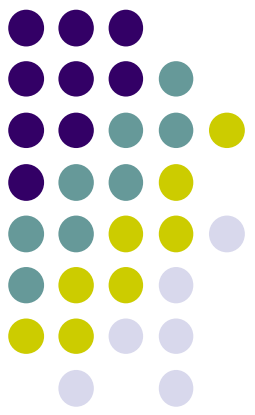
- Approaches
 - Search for similar rows/columns
 - (nearest neighbour collaborative filtering)
 - Matrix factorization
 - Restricted Boltzmann Machines (RBM)
 - ...
 -

Example: Nearest neighbor collaborative filtering for movie-rating prediction (recommender systems)



	Movie 1	Movie 2	Movie 3	Movie 4	Movie 5	
User 1	5	?	1	?	?	...
User 2	?	?	5	?	4	...
User 3	5	4	2	?	?	...
User 4	?	3	?	2	5	...
User 5	1	?	5	?	4	...
User 6	5	4	?	?	2	...
	...	...	...	...	...	...

Matrix factorization



- We estimate matrix M as the product of two matrices U and V .
- Based on the known values of M , we search for U and V so that their product best estimates the (known) values of M

The diagram illustrates the matrix factorization equation $U \times V \approx M$. Matrix U is a 5x2 matrix, V is a 2x5 matrix, and M is a 5x5 matrix. The matrices are represented as grids of colored squares (blue and light blue) with numbers or symbols inside. The multiplication is indicated by a large 'x' and the approximation by a large '≈'.

2	1
2	2
3	2
1	1
...	...

U

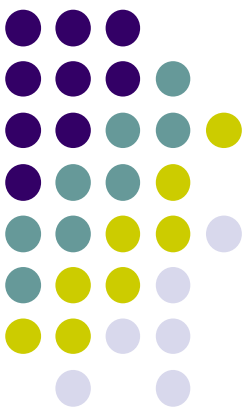
2	2	1	3	...
1	0	3	3	...

V

5	?	4	?	...
?	4	?	?	...
?	5	4	?	...
4	?	4	5	...
...	...	...	...	...

M

Problem formulation

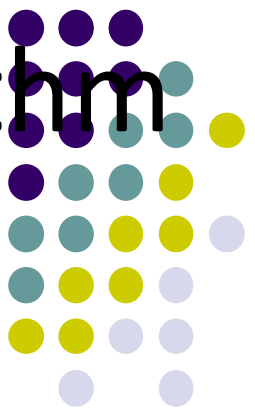


- Target function:
- sum of squared errors + regularization

$$\sum_{i,j} \left(m_{i,j} - \sum_{k=0}^K u_{i,k} v_{k,j} \right)^2 + \lambda \left(\sum_{i,j} u_{i,j}^2 + \sum_{i,j} v_{i,j}^2 \right)$$

-
- where λ is the weight of the regularization term
- (i. e., a constant giving the importance of the
- regularization term)
- Minimization of the above loss function using **stochastic** gradient descent (or any other optimization algorithms)

High-level view of matrix factorization algorithm



- Random initialization of U and V
- While $U \times V$ does not approximate the known values of M well enough
 - Choose a known value of M , we denote it by x
 - Adjust the values of the corresponding row and column of U and V respectively, so that the approximation becomes better

The diagram illustrates the matrix factorization process. It shows three matrices: U , V , and M .

Matrix U is a 5x2 matrix:

2	1
2	2
3	2
1	1
...	...

Matrix V is a 2x5 matrix:

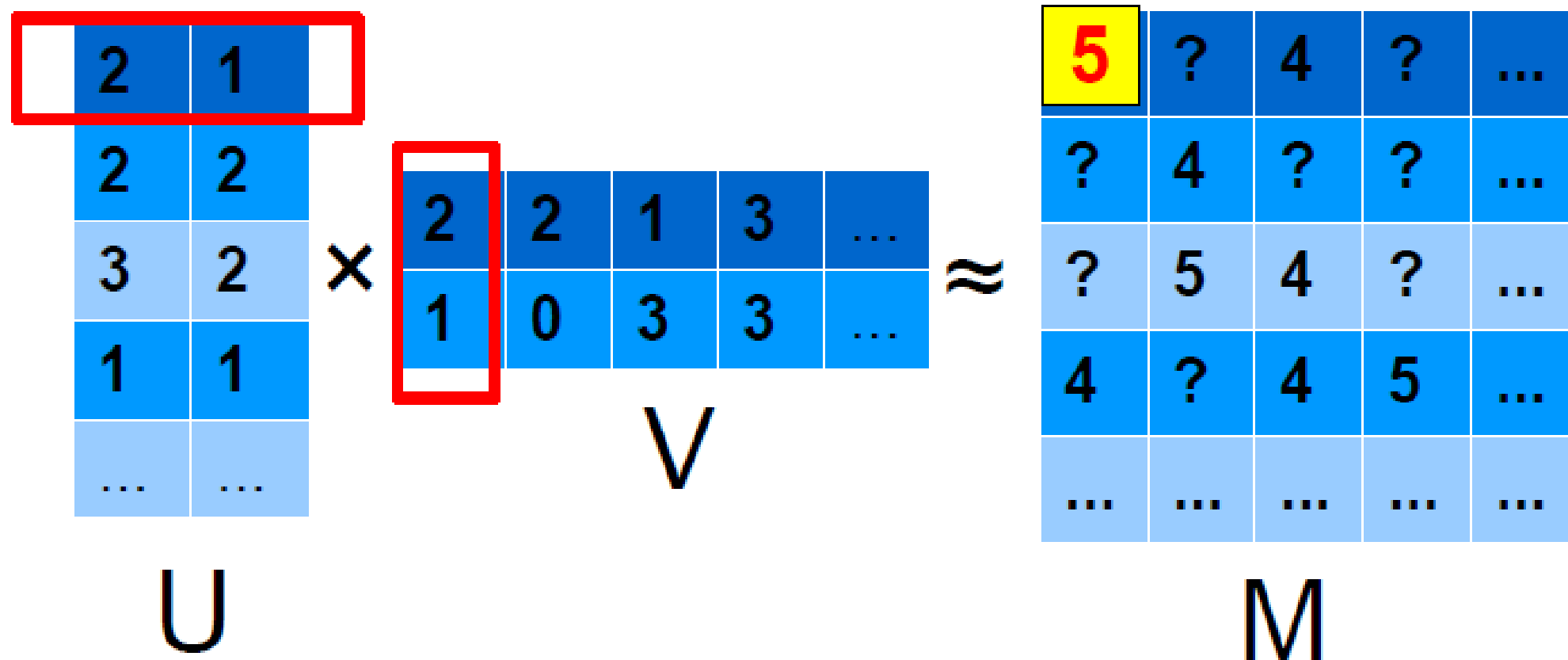
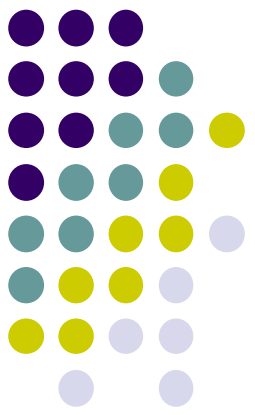
2	2	1	3	...
1	0	3	3	...

Matrix M is a 5x5 matrix:

5	?	4	?	...
?	4	?	?	...
?	5	4	?	...
4	?	4	5	...
...	...	...	...	...

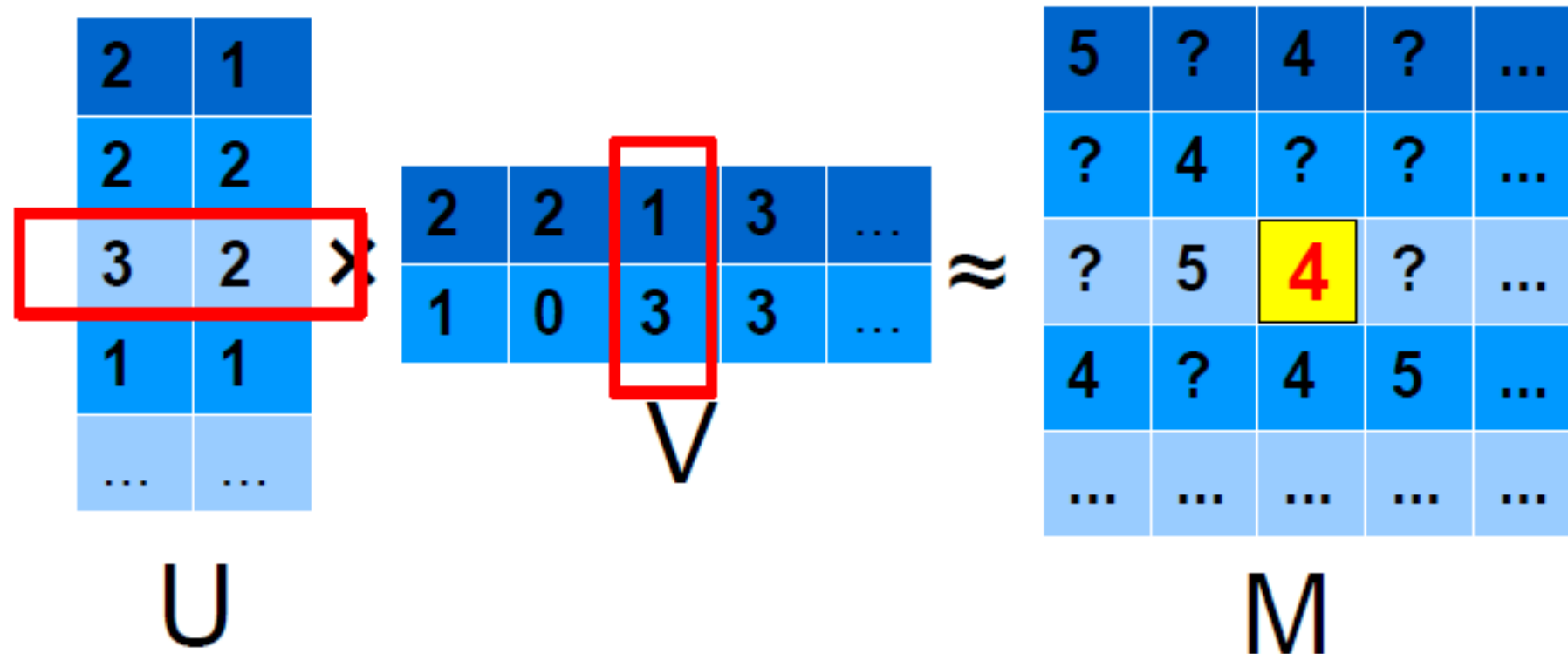
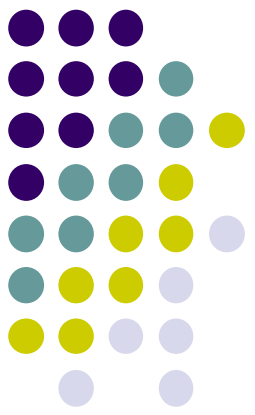
The equation is represented as $U \times V \approx M$.

Example for an adjustment step



$(2*2)+(1*1) = 5$ which equals to the selected value
→ we do not do anything

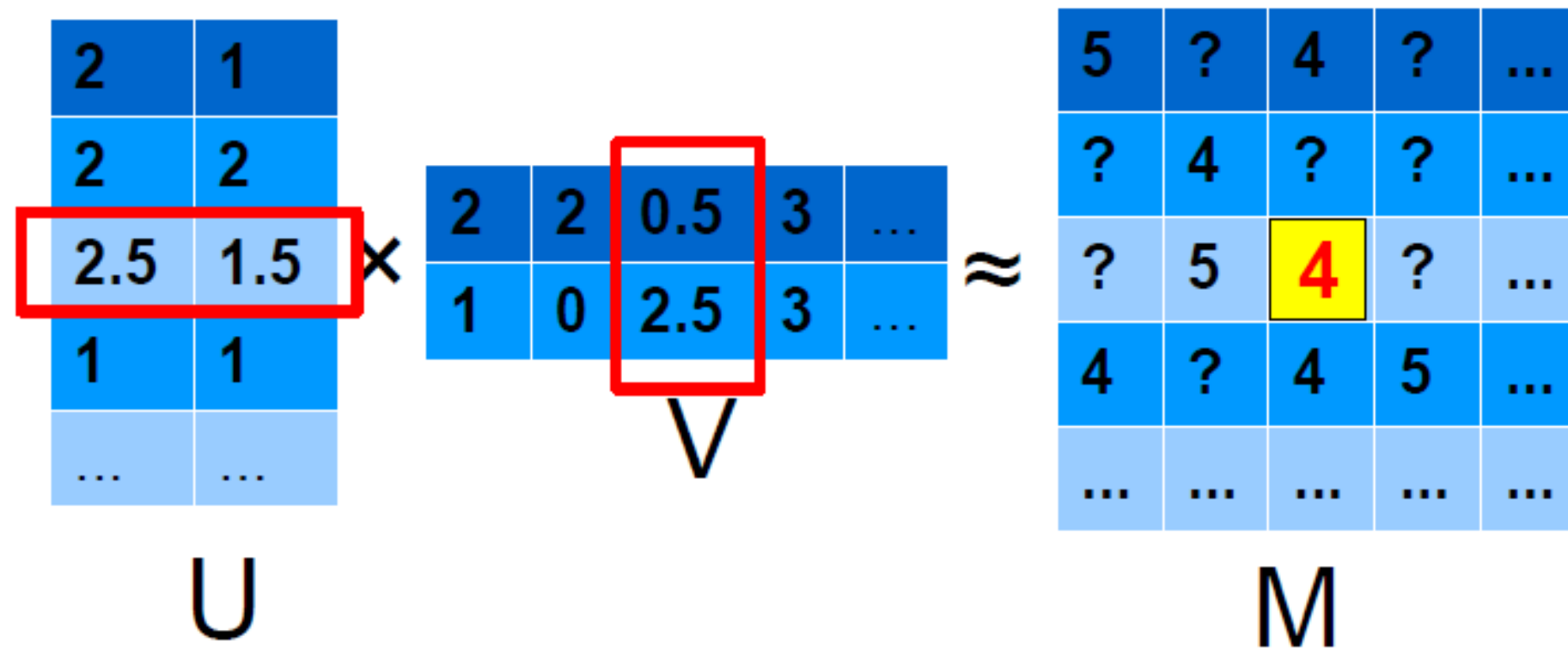
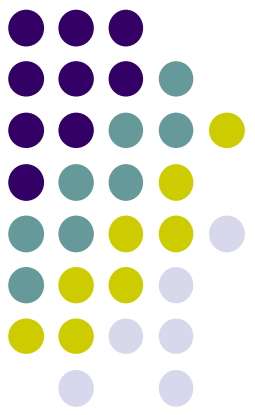
Example for an adjustment step



$$(3 * 1) + (2 * 3) = 9$$

$9 > 4 \rightarrow$ we decrease the values of the corresponding rows so that their products will be closer to 4

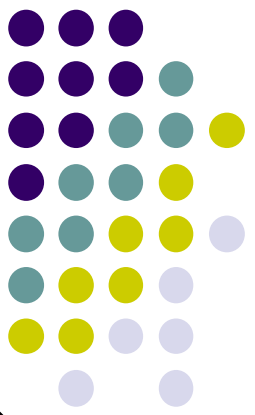
Example for an adjustment step



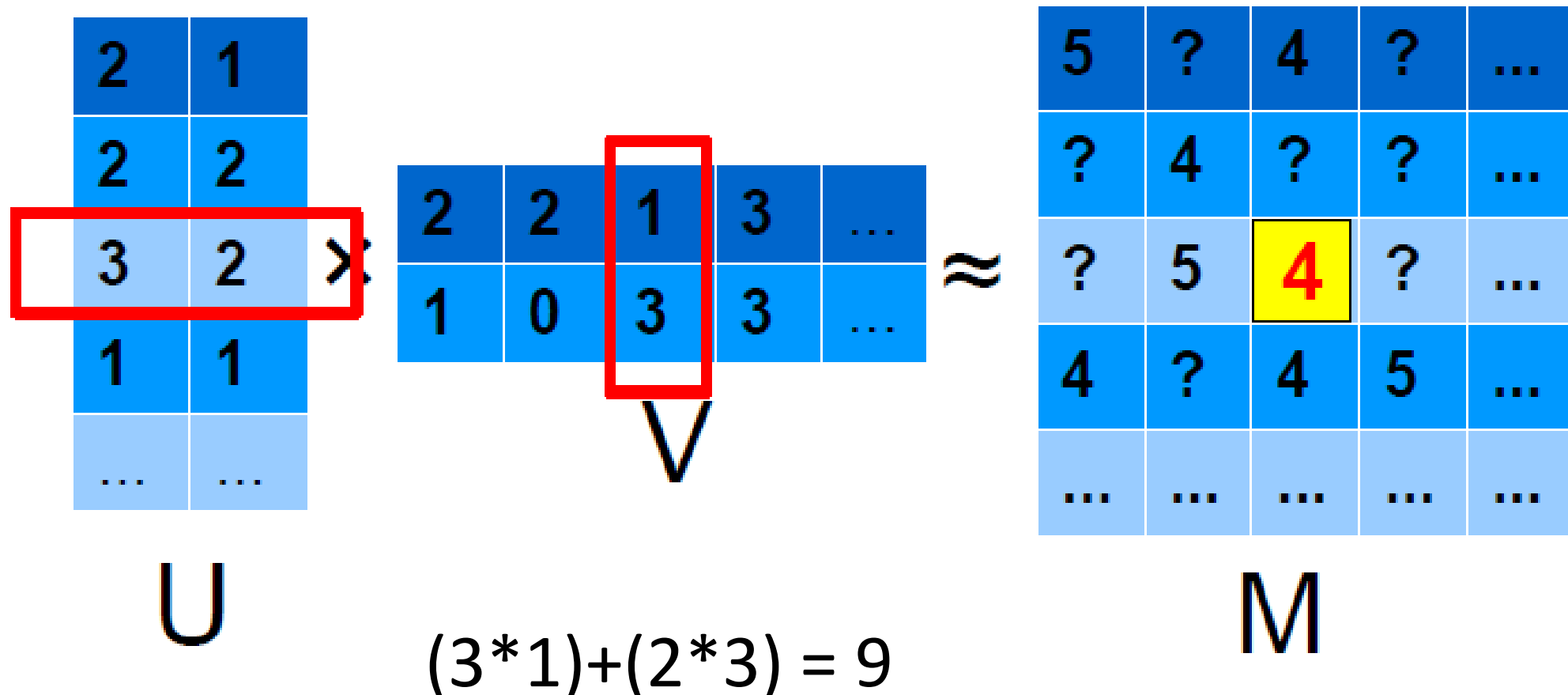
$$(3*1)+(2*3) = 9$$

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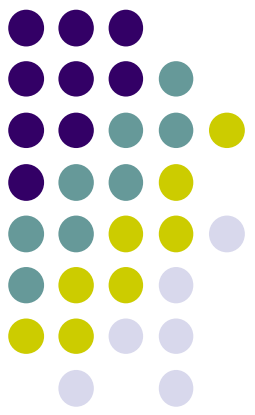
Why is the algorithm „good”?



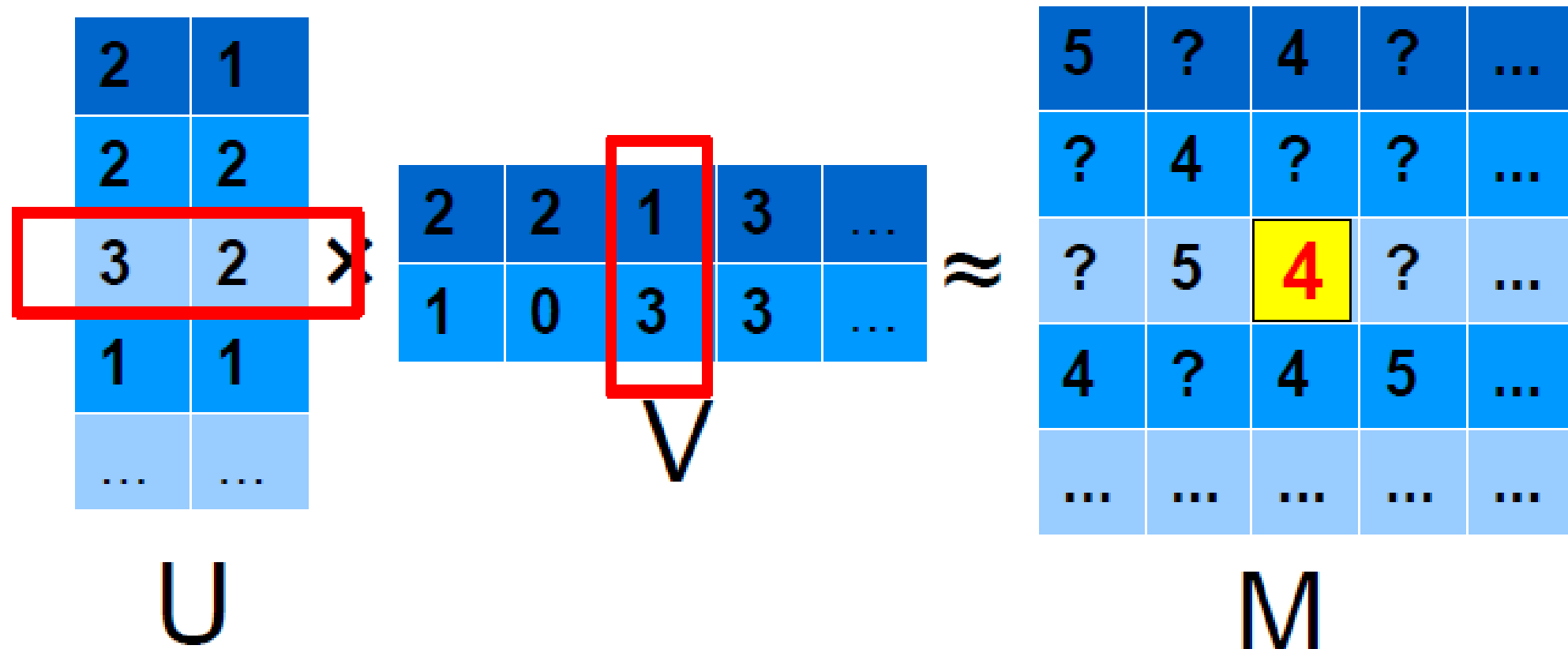
- 1. The adjustment should be proportional to the error →
let it be ε -times the error
 - In the current example: error = $9 - 4 = 5$
 - with $\varepsilon=0.1$ we will decrease all the values in the corresponding rows and columns by $0.1 * 5 = 0.5$



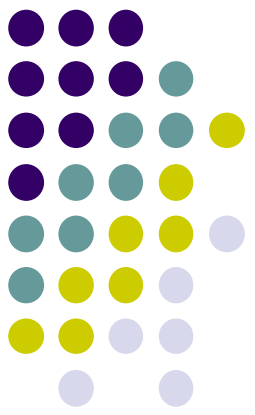
Why is the algorithm „good“?



- 2. We should take into account how much each value of the row/column contributes to the error
 - For the selected row:
 - 3 is multiplied by 1 $\rightarrow$ 3 is adjusted by $\epsilon * 5 * 1 = 0.5$
 - 2 is multiplied by 3 $\rightarrow$ 2 is adjusted by $\epsilon * 5 * 3 = 1.5$
 - For the selected column respectively:
 - $\epsilon * 5 * 3 = 1.5$ and $\epsilon * 5 * 2 = 1.0$



Why is the algorithm „good”?



- 3. We prefer simpler models (avoid overfitting).
- At each adjustment step: subtract additionally
- λ -times the value
 - For the selected row: subtract additionally
 - $\lambda * 3$ from 3, and $\lambda * 2$ from 2 .
 - For the selected column respectively: $\lambda * 1$ and $\lambda * 3$
 -

